
Gaia spectro-photometry absolute calibration and comparison to classical systems

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CU5-DU13 & CU5-DU14

DU13: provide spectrophotometric standard stars (SPSS)

INAF - Osservatorio Astronomico Bologna: E. Pancino, G. Altavilla, M. Bellazzini, A. Bragaglia, C. Cacciari, G. Cocozza, L. Federici, S. Marinoni, E. Rossetti

University of Barcelona: C Jordi, F. Figueras, J.M. Carrasco et al.

University of Groeningen: S. Trager

DU14: provide integrated photometry and BP/RP calibration model

INAF - Osservatorio Astronomico Bologna: C. Cacciari, P. Montegriffo, S. Ragaini, M. Bellazzini, E. Pancino

Classical spectro-photometry

The aim of spectro-photometric calibration

Place measurements on a standard physical flux scale by removal of the **absorption** by the Earth's atmosphere and **calibration** of the sensitivity of the photometric/spectroscopic equipment at different **wavebands/ wavelengths**

(M. S. Bessell, Ann. Rev. Astron. Astrophys. 2005, Vol. 43, 293)

The ingredients:

- The data: observed **magnitude** values in various bands or **spectra** (pre-reduced, i.e. flat-field, bias, dark etc. corrected)
- Knowledge of (and correction from) **atmospheric absorption** - not needed for space observations
- Knowledge (and use) of the **instrument response**
- Use of constant brightness **standard stars** - calibrators

Definition of a spectro-photometric system

M.S. Bessell (1999), PASP, 111, 1426; Altavilla et al. (2010), GAIA-C5-TN-OABO-GA-004

photometry

$$m_x = C - 2.5 \log \int f(\lambda) T_x(\lambda) d\lambda$$

spectro-photometry

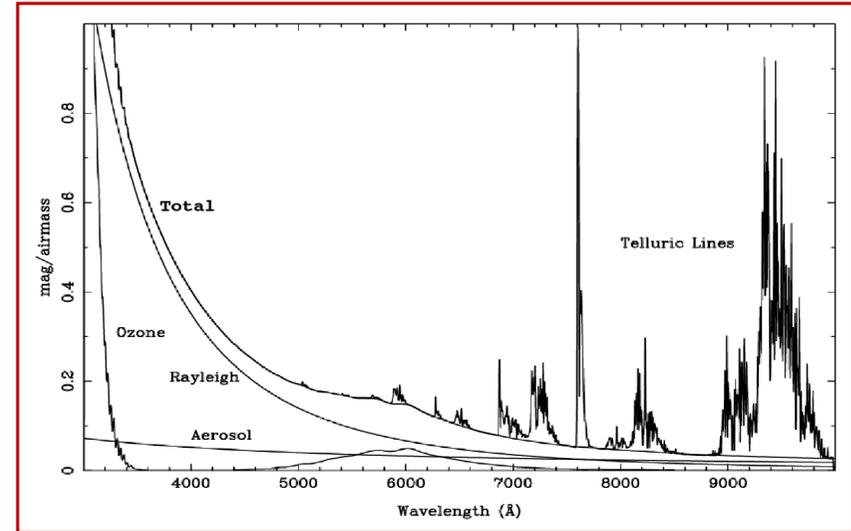
$$s(\lambda) = C [f(\lambda) T(\lambda)]$$

- $f(\lambda)$: the stellar SED in [photons s⁻¹ m⁻² nm⁻¹]
- C/C : zero point defined by a standard star (e.g. unreddened A0V, Vega)
- $T(\lambda)$: the instrument response function, convolution of
 - area of the telescope primary mirror (entrance pupil area)
 - telescope (mirrors) transmission and optical characteristics
 - camera optics & detector CCD quantum efficiency (QE)
 - filter-coating transmission
 - prism transmission (spectrograph)

Atmospheric absorption

In the optical range, extinction is a combination of:

- **continuous** absorption from Rayleigh scattering of gas molecules - varies with λ^{-4} and linearly with airmass (airmass $\approx \sec Z$)
- **neutral absorption** from dust and aerosols - non-linear variation with airmass
- **telluric** features



Extinction is measured by observing **standard stars at different airmass** (e.g. in the meridian and at high airmass).

Red and blue standard stars are observed to solve for the colour term in the extinction
→ extinction coefficients, e.g. k_i (mag/airmass) → extinction law as a function of λ

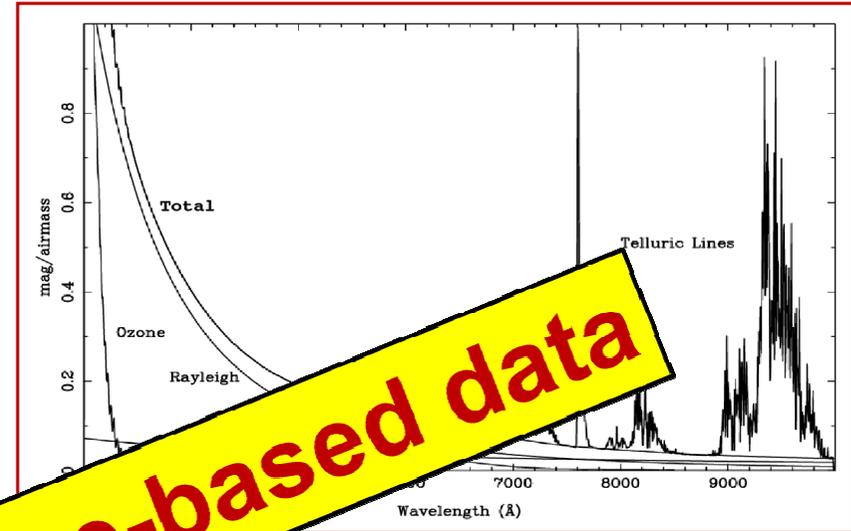
The observed instrumental magnitudes (m_i) are corrected to outside the atmosphere (m_{i0}) by extrapolating to zero airmass → $m_{i0} = m_i - (k_i \times \text{airmass}) - (k_i \times \text{airmass} \times \text{colour})$

The observed instrumental spectra are corrected to outside the atmosphere by applying extinction law x appropriate airmass

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Not needed for space-based data

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Photometry: instrument response

Oke (1965):

outlined the system of pseudo monochromatic photometry that is the basis of all spectrophotometric calibrations.

Johnson (1966):

established the UBVRIJKLMN system of broad-band photometry extending from 300nm to 10 μ that forms the basis of all subsequent broad-band systems. Fluxes are normalized to that of Vega.

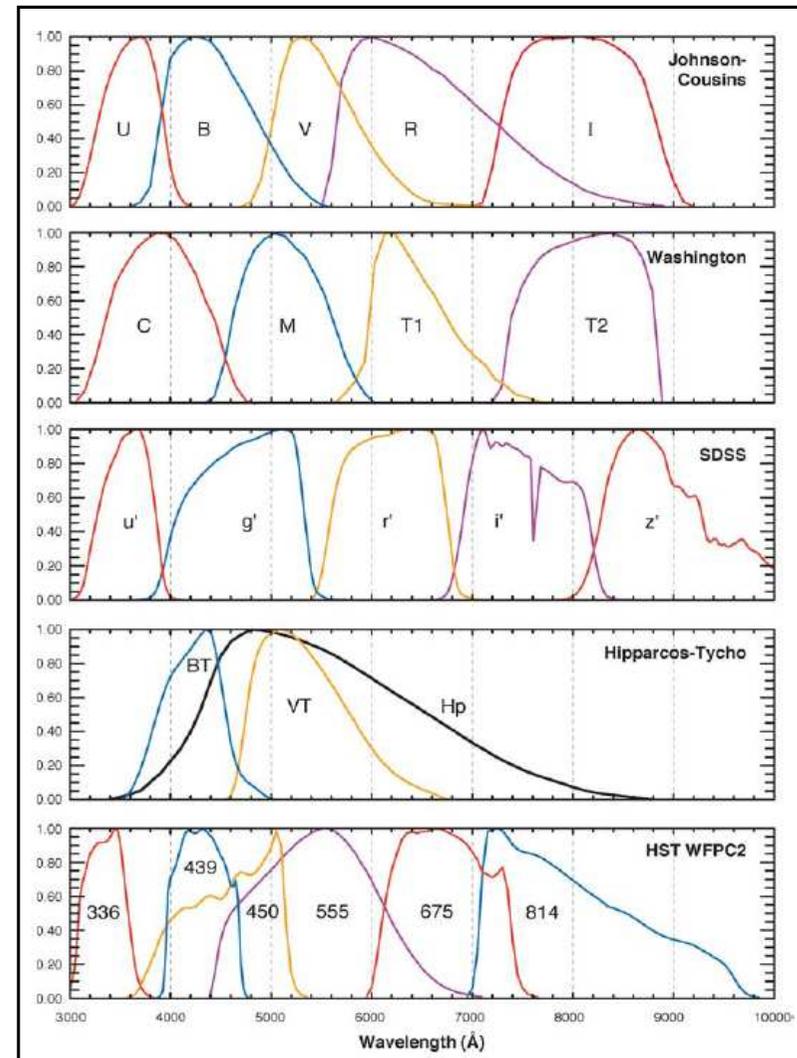
Strömgren (1966):

devised the intermediate-band uvby system to better measure the temperature, gravity, metallicity and reddening of early-type stars (hotter than the Sun).

Presently, more than 200 photometric systems known

Info on several conventional photometric systems in:
http://stdas.stsci.edu/documents/SyG_95/

Asiago DB: <http://ulisse.pd.astro.it/Astro/ADPS/>
Lausanne DB: <http://obswww.unige.ch/gcpd/gcpd.html>



Schematic passbands of broad-band systems

Photometry calibration

Photometric observations are calibrated through the use of networks of constant brightness standard stars (SS)

To put observations on a standard system: derive the **calibration equation** = difference between the extinction corrected instrumental values m_{i_0} and the standard m value as a function of color:

$$m_{i_0} - m = ZP + \alpha(\text{color})$$

α (varying extinction across broad band, difference in filter band wrt standard) should be as small as possible ($< \pm 0.05$);

ZP is the zeropoint constant (includes any neutral extinction residual, aperture correction, etc.)

In principle, only one blue and one red SS are needed to solve for the calibration equation → derive ZP and α → calibrate photometric observations.

In practice, a few more are used for accuracy and reliability:

- color range of SS should be large enough to encompass color range of target objects
- enough SS should be observed during the night to monitor the changing conditions

Each photometric system has produced a list of standard magnitudes and colors measured at specific bandpasses for a set of stars that are well distributed across the sky.

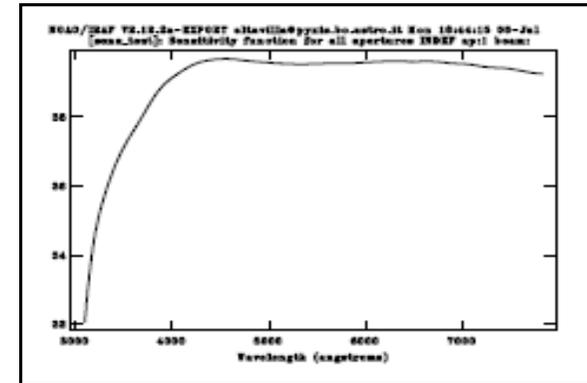
Spectra: instrument response & calibration

The instrument **response curve** - $C(\lambda)$ - is obtained by comparing the observed spectrum of spectro-photometric standard stars (SPSS) with the corresponding tabulated absolute flux values - $SED(\lambda)$

$$C(\lambda) = O(\lambda) / SED(\lambda) \quad (\text{DOLOres LR-B}) \rightarrow$$

→ flux calibration of any given spectrum:

$$S_{\text{cal}}(\lambda) = S_{\text{obs}}(\lambda) / C(\lambda)$$



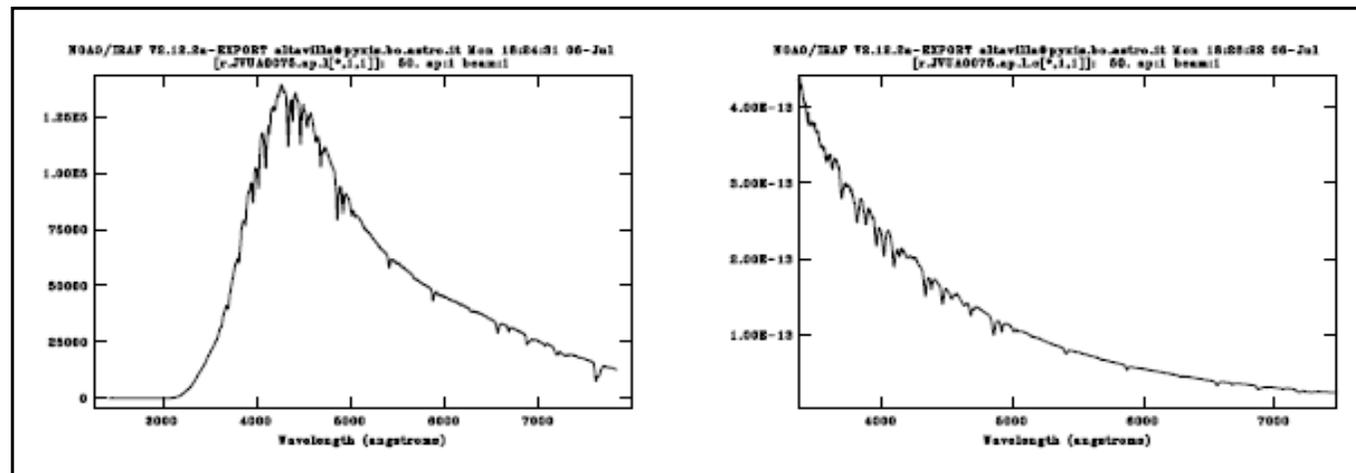
In principle, only one SPSS is needed for spectrophotometric calibration

HZ44 spectrum:

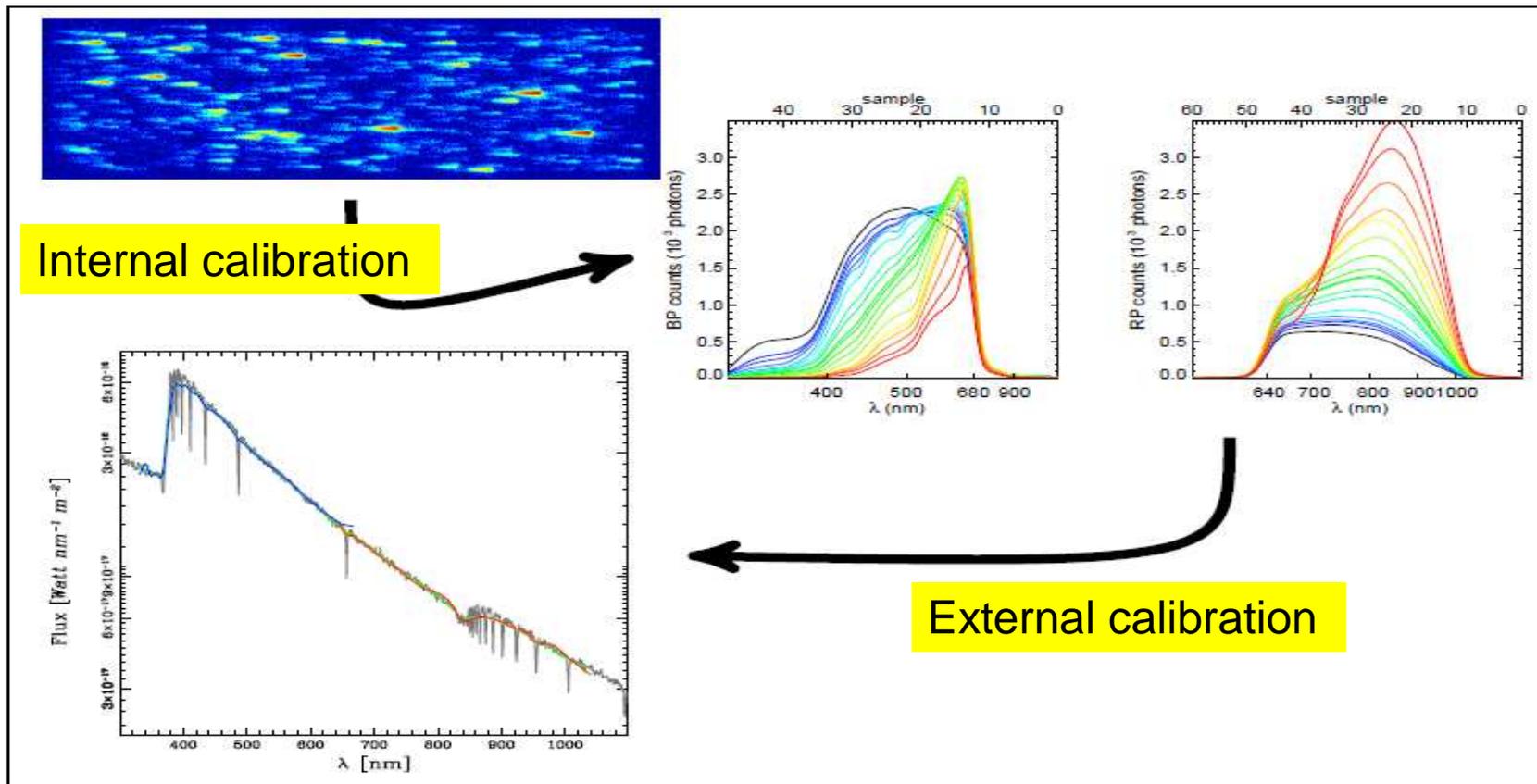
before (left panel)

after (right panel)

absolute flux calibration



Gaia spectro-photometric system



- same principle as for classical spectrophotometry
- much more complicated instrument model

Courtesy A. Brown

Gaia spectro-photometry

Input data: internally calibrated $G/G_{BP}/G_{RP}$ mean magnitudes (flux/mag) & BP/RP mean spectra – undergone three basic transformations:

- epoch data: pre-processed (corrected by internal instrumental effects)
- corrected to a ***fiducial instrument*** represented by the *nominal* instrument model stored in the PDB
- averaged to produce mean values on an internally consistent flux scale

To tie the internal flux scale to the absolute flux scale

→ absolute (external) calibration to derive the true (absolute) instrument model using a set of SPSS

- ▶ accuracy requirements: order of mmags (phot) or a few % (spectra)
- ▶ depends on accuracy of internal calibrated data & SPSS SEDs
- ▶ goal: minimum contribution of calibration model on error budget

$G/G_{BP}/G_{RP}$: external calibration model

Goal: derive true filter bandpass (FB_{true}) using SPSS data. For all SPSS:

$$G_i = [S] \times FB_i^{\text{true}} \quad \longrightarrow \quad G_i = [S] \times (FB_i^{\text{PDB}} \times FB_i^{\text{corr}})$$

G_i : m-dimen **vector** of observed integrated flux values

(m = number of SPSS ~ 200, see GAIA-C5-TN-OABO-GA-003)

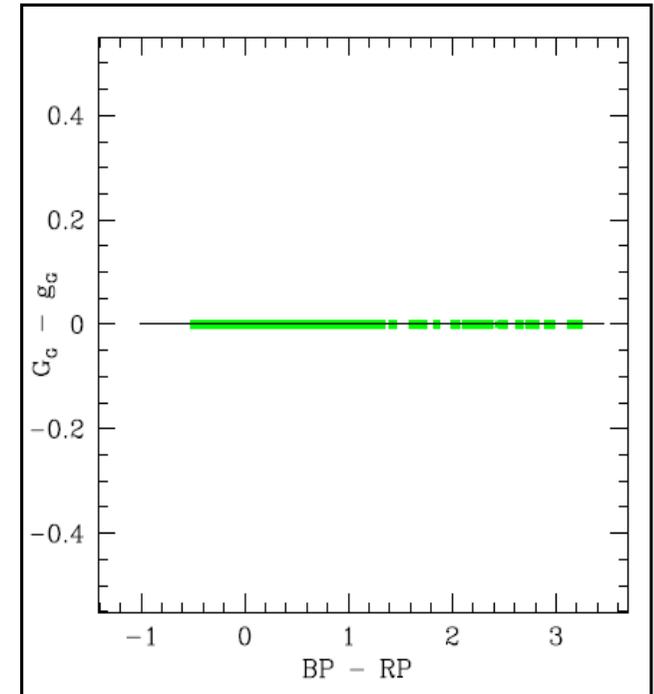
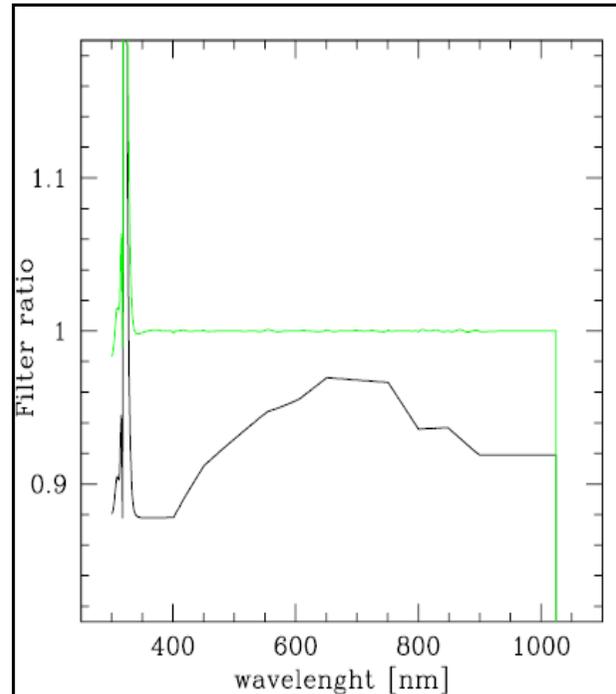
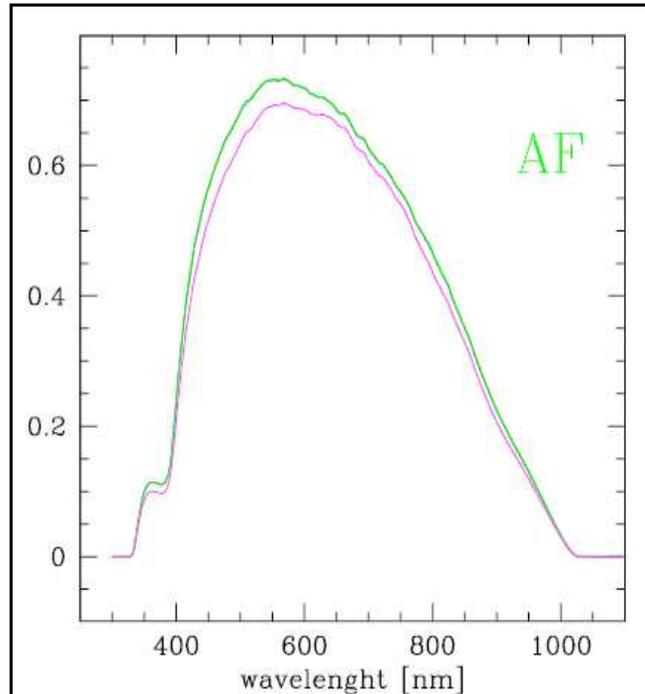
[S]: **matrix** of $n(\lambda)$ tabular flux data points (SED) per m SPSS

$n(\lambda)$ ~ a few 10^3 if SED sampled at high resolution

FB_i^{true} : n-dimen **vector** of filter band i sampled at $n(\lambda)$ data points

- calibration model needs to decrease dimensionality to $n(\lambda) \leq m$
force a continuum filter shape \rightarrow smoothing procedure
- the *nominal* instrument model FB^{PDB} sets the basic shape
- the *correction* vector FB_i^{corr} defines the residual differences between the predicted (from FB^{PDB}) and the observed SPSS data
- FB^{true} is to be determined by least square fit of these residual differences

G band calibration: preliminary



G bands: **fitted(=true)** **nominal**

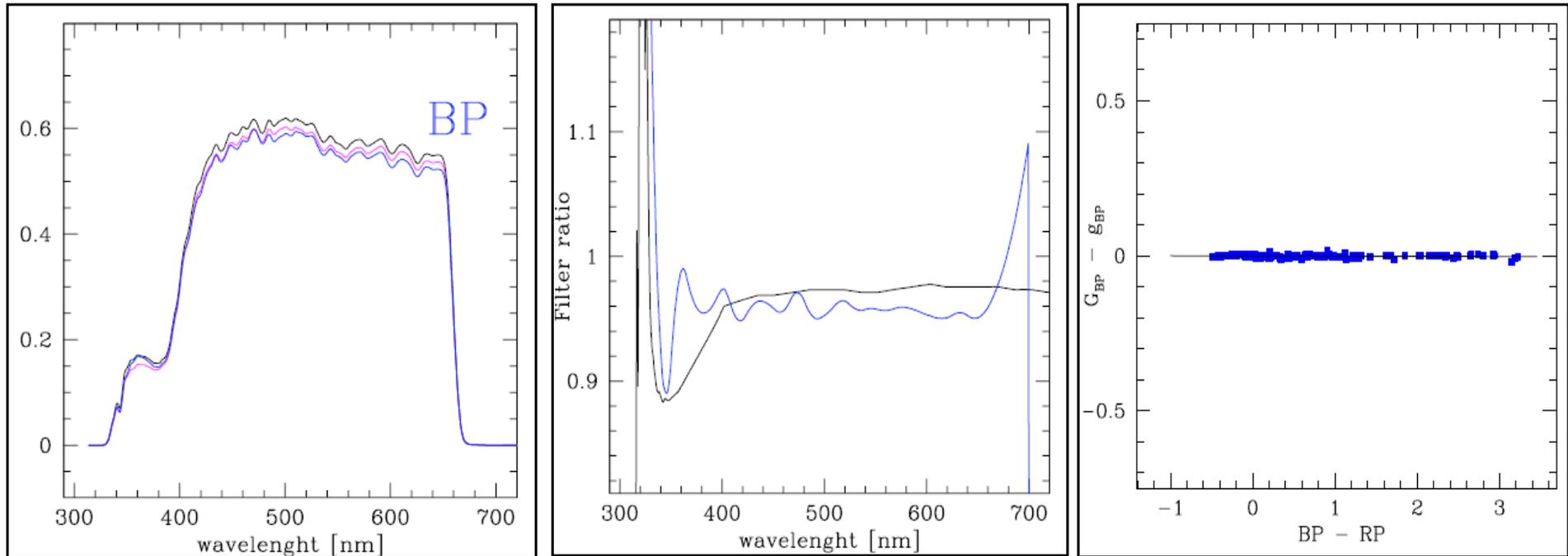
Ratio of **fitted** and **nominal** bands wrt **FB^{true}**

G - g - ZP (mmag):
colour equation

Simulations: the purpose is to account for any colour dependence

→ the calibration model should be the **fitted filter band** & the **zero-point ZP** defined by it, no colour equation → G band is OK

BP band calibration: preliminary



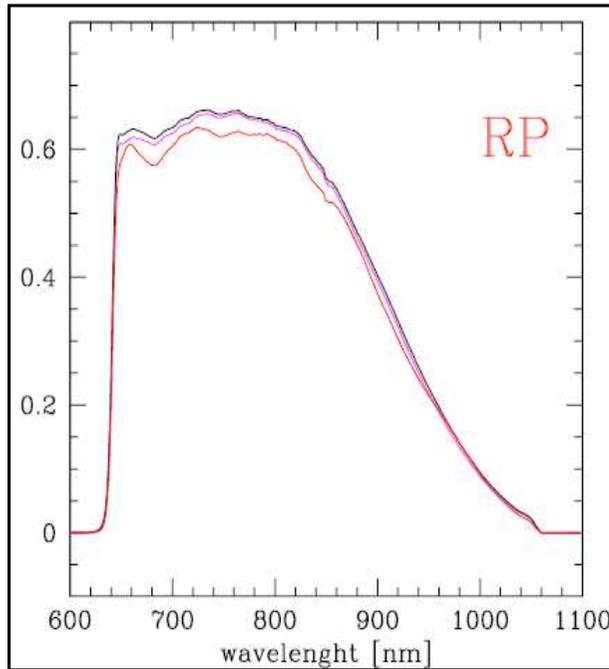
BP bands: fitted nominal true

Ratio of fitted and nominal bands wrt FB^{true}

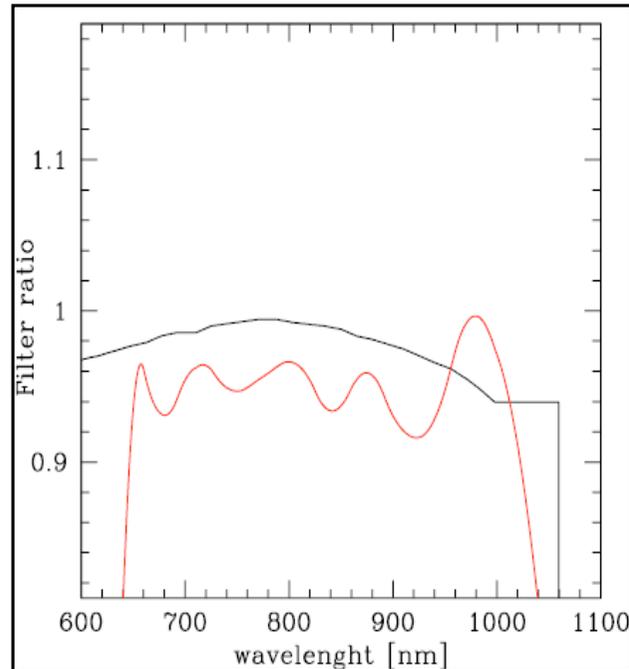
$G_{BP} - g_{BP} - ZP$ (mmag):
colour equation

Simulations: flat colour equation, zero-point $\sim -4\%$ (flux loss) \rightarrow BP band is OK

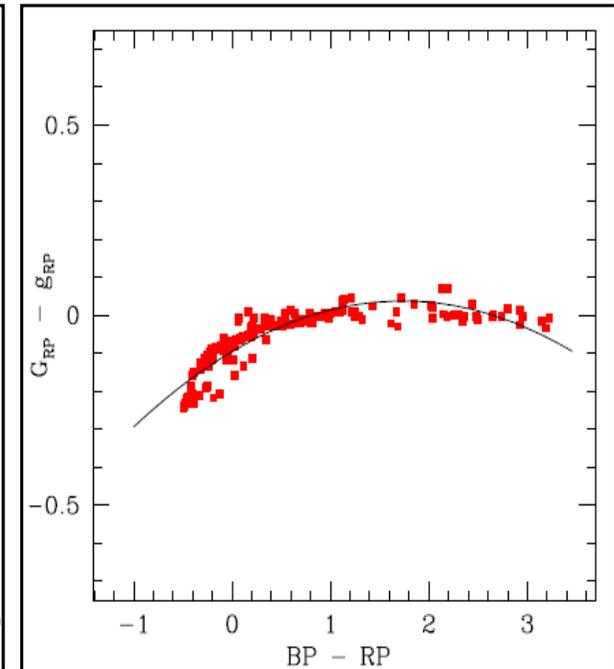
RP band calibration: preliminary



RP bands: **fitted** **nominal** true



Ratio of **fitted** and **nominal** bands wrt FB^{true}



G_{RP} fitted - g_{RP} obs. - ZP (mmag): colour equation

Simulations: the colour equation is not flat → numerical problems (to be further investigated)

BP/RP spectra: external calibration model

For details see P. Montegriffo: GAIA-C5-TN-OABO-PMN-002, GAIA-C5-TN-OABO-PMN-003, and M09 @ Leiden, 18-20 May 2010

Mean (internally calibrated) spectra can be modeled as:

$$S_{\text{obs}}(\kappa) = C \int T(\lambda) L_{\lambda}(\kappa - \kappa_p(\lambda)) S_{\text{true}}(\lambda) d\lambda$$

discretized as:

$$S_{\text{obs}}(\kappa_i) \approx C \sum_j T(\lambda_j) L_{\lambda_j}(\kappa_i - \kappa_p(\lambda_j)) S_{\text{true}}(\lambda_j) \Delta\lambda$$

$T(\lambda_j)$: filter response; L_{λ_j} : monochromatic LSF; κ_i : AL px coordinate;
 $\kappa_p(\lambda_j)$: dispersion function

write as matrix equation:

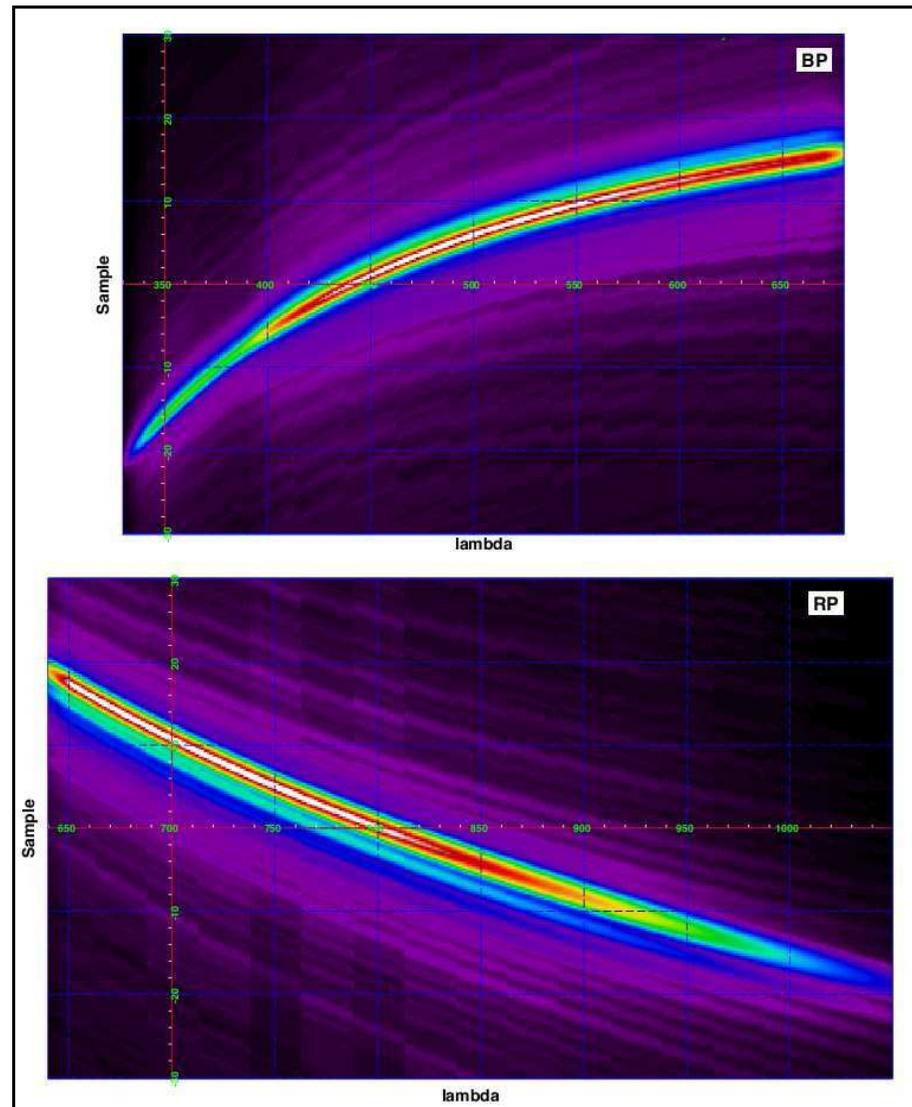
$$\mathbf{S}_{\text{obs}} = \mathbf{D} \times \mathbf{S}_{\text{true}}$$

BP/RP spectra: dispersion functions

Dispersion matrix \mathbf{D} for BP (top) and RP (bottom) instruments for **FoV 1 and CCD row no 4**:

- the profile of the columns represents the LSF_{λ_j} that peaks on the dispersion function at the corresponding wavelength
- the profile of the rows shows the distribution as a function of wavelength of the photons contributing to light in each sample
- the elements defining \mathbf{D} vary across the focal plane: the absolute calibration refers to the *fiducial* instrument \mathbf{D}

GAIA-C5-TN-OABO-PMN-002



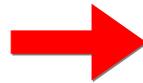
Shape of photometric band 

BP/RP spectra: external calibration model

$$\mathbf{S}_{\text{obs}} = \mathbf{D} \times \mathbf{S}_{\text{true}}$$

Reduce dimensionality of \mathbf{S}_{true} by approximating with a smooth function:

$$\mathbf{S}_{\text{true}} \longleftrightarrow \mathbf{S}_{\text{smooth}}$$



$$\mathbf{S}_{\text{obs}} \approx \mathbf{D}_e \times \mathbf{S}_{\text{smooth}}$$

- Coefficients $\mathbf{S}_{\text{smooth}}$ are known for the SPSS from the approximation model
- Solve for *fiducial* instrument model \mathbf{D}_e using the SPSS observations
- Apply \mathbf{D}_e^{-1} as the calibration model for the other stars
- Method removes LSF smearing and absorbs residual systematic errors
:
- Automatically produces wavelength scale to ~ 0.1 of a pixel accuracy (see PMN-004)

BP/RP spectra: hybrid model - preliminary

$$S_{obs} = [D_e] \times S_{smooth}$$

- Express D_e as the product between the nominal dispersion matrix DM and a square matrix **K** (the kernel) $D_e = \mathbf{K} \times \mathbf{D}_n$

$$\mathbf{S}_{obs} = \mathbf{K} \times (\mathbf{D}_n \times \mathbf{S}_{smooth})$$

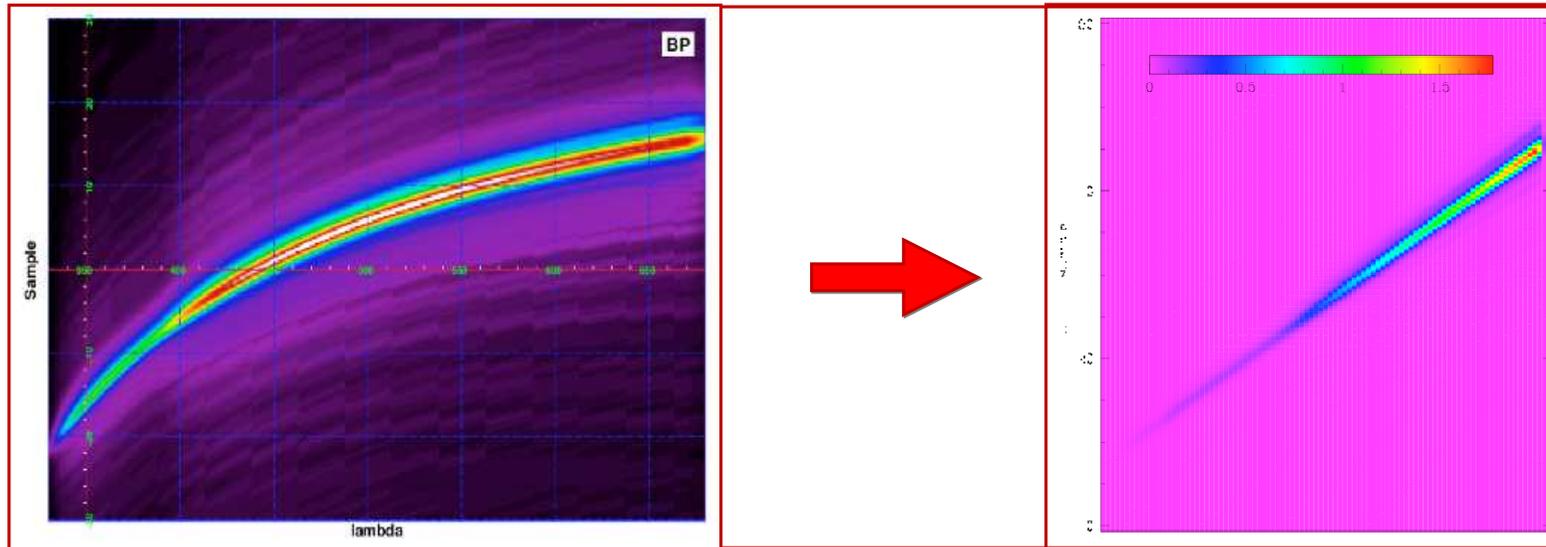
- **K** is fitted with SPSS
- The fitting algorithms:

least squares fit on each row independently

parametrized fit as in JMC-008:

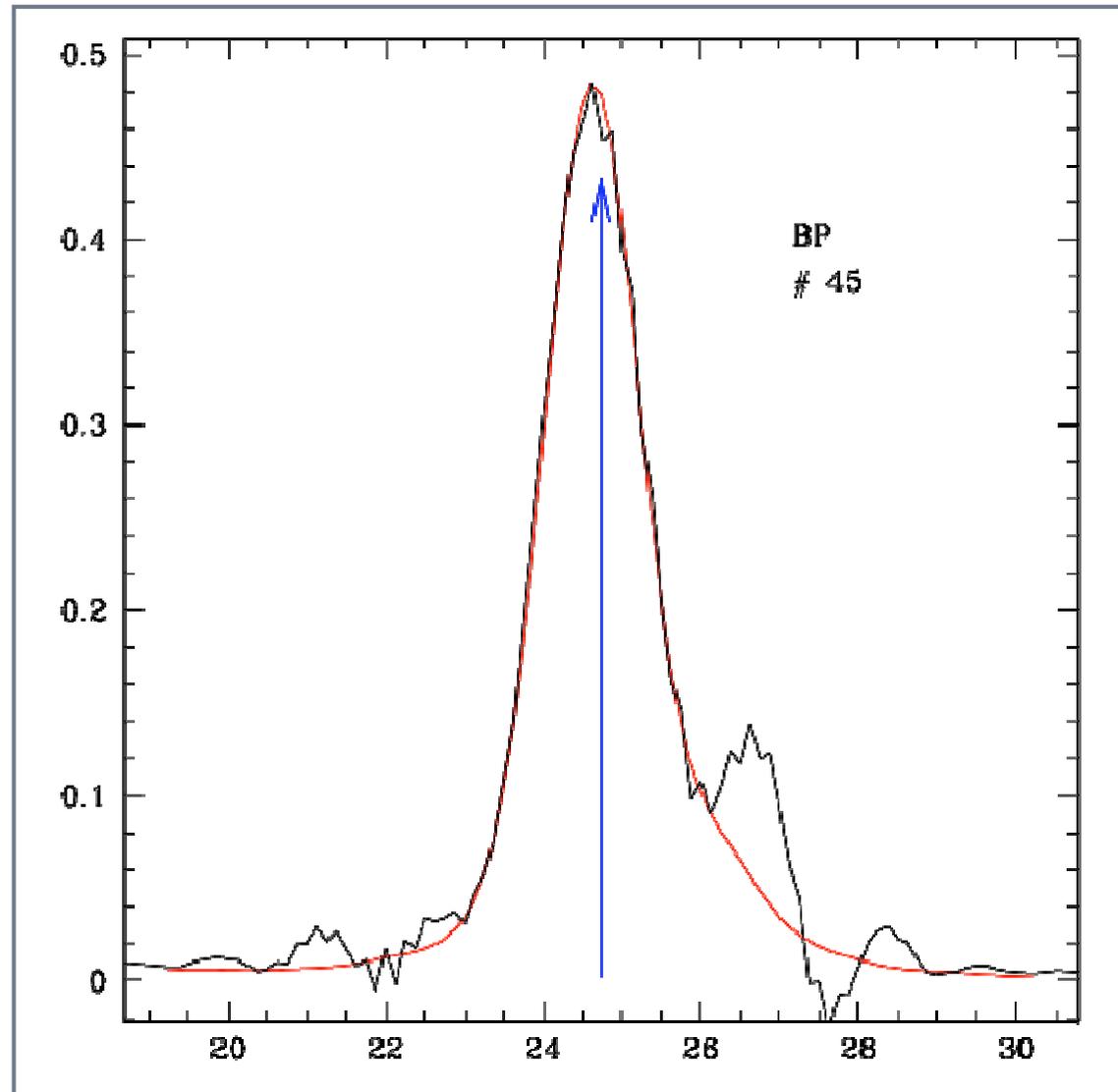
$$K_{ij} = \sum_{l=0,L} C_{il} (i - i_{ref})^l$$

Preliminary results



Cleaner Effective Dispersion Matrix → easier extraction of the Dispersion Curve

Preliminary results



Column # 45 for BP Effective Dispersion Matrix: effective vs. nominal LSF λ

Spectro-Photometric Standard Stars

DU13 task: provide the grid of SPSS (homogeneous flux scale)

Details in GAIA-C5-TN-OABO-GA-003

- ▶ **three pillars** from CALSPEC, $V \sim 11.5$ to 13.5 , **calibrated on Vega**
- ▶ **48 primary standards**, $V \sim 9$ to 14 , across the sky
- ▶ **~ 200 secondary standards**, V down to ~ 15 , preferentially with maximum number of transits
- ▶ all spectral types, from bluest (e.g. WDs) to reddest (late types, reddened)

Addition of **SEGUE** stars (TBD): homogeneous flux scale (to be verified), fainter but several thousands \rightarrow characterisation of entire focal plane ?

Observing campaign:

- ▶ more than 200 nights already observed
- ▶ spectroscopy complete to $\sim 80\%$
- ▶ absolute photometry complete to $\sim 22\%$
- ▶ short (long) term variability monitoring nearly completed (ongoing)
- ▶ expected completion by 2013